Chickens, Eggs, and Causality, or Which Came First?

Walter N. Thurman and Mark E. Fisher

Time-series evidence from the United States indicates unidirectional causality from eggs to chickens.

Key words: causality, chickens, eggs.

Granger’s seminal paper entitled “Investigating Causal Relations” has spawned a vast and influential literature. In macroeconomics, for example, the causal relationship between money and income has been investigated time (Sims) and again (Barth and Bennett; Williams, Goodhart, and Gowland; Ciccolo; Feige and Pearce; Hsiao). Some authors have taken exception to Granger’s definition of causality qua causality (Zellner; Jacobs, Leamer, and Ward; Conway et al.), and even Granger has suggested “a better term might be temporally related” (Granger and Newbold, p. 225). We find ourselves in agreement with the temporal ordering interpretation of Granger causality. In fact, we believe that the most natural application of tests for Granger causality (temporal ordering) has until now been overlooked. We refer, of course, to: “Which came first, the chicken or the egg?” Our purpose in this study is to provide an empirical answer to this venerable question, which theory alone has not resolved.

Empirical Results

We examine annual U.S. time series from 1930 to 1983 of egg production and chicken population. We count as chickens the 1 December population of all U.S. chickens except for commercial broilers. This definition is relevant in a study of the chicken-egg ordering because it includes all chickens that lay or fertilize eggs; i.e., all chickens capable of causing eggs. This measure excludes chickens raised only for meat. Eggs are measured in millions of dozens and include all eggs produced annually in the United States. All are potentially fertilizable.

The notion of Granger causality is simple: If lagged values of X help predict current values of Y in a forecast formed from lagged values of both X and Y, then X is said to Granger cause Y. We implement this notion by regressing eggs on lagged eggs and lagged chickens; if the coefficients on lagged chickens are significant as a group, then chickens cause eggs. A symmetric regression tests the reverse causality.1 We perform the Granger causality tests using one to four lags. The number of lags in each equation is the same for eggs and chickens.

To conclude that one of the two “came first,” we must find unidirectional causality from one to the other. In other words, we must reject the noncausality of the one to the other and at the same time fail to reject the noncausality of the other to the one. If either both cause each other or neither causes the other, the question will remain unanswered. The test results are presented in table 1. They indicate a clear rejection of the hypothesis that eggs do not Granger cause chickens. They provide no such rejection of the hypothesis that chickens do not Granger cause eggs. Therefore, we conclude that the egg came first.2

1 Feige and Pearce describe and distinguish among the several Granger causality tests. The validity of our test statistic requires lack of serial correlation, homoskedasticity, and normality of the disturbances in the distributed lag equations, which we of course assume.
2 We recognize that the annual sampling period conditions our results. In fact, the identification of a Granger causal relationship sheds no light whatsoever on chicken and egg interactions within the sampling period. While our test is agnostic regarding this

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Part 1: Did the Chicken Come First?

The following equation was estimated by OLS:

\[ Eggs_t = \mu + \sum_{i=1}^{L} \alpha_i Eggs_{t-i} + \sum_{i=1}^{L} \beta_i Chickens_{t-i} + \epsilon_t; \]

\[ H_0: \beta_1 = \ldots = \beta_L = 0 \] (chickens do not Granger cause eggs).

\[ L = \text{no. of lags} \quad F\text{-statistic} \quad P\text{-value} \quad R^2 \text{ of the regression} \]

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<td>0.79</td>
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Part 2: Did the Egg Come First?

The following equation was estimated by OLS:

\[ Chickens_t = \mu + \sum_{i=1}^{L} \alpha_i Chickens_{t-i} + \sum_{i=1}^{L} \beta_i Eggs_{t-i}; \]

\[ H_0: \beta_1 = \ldots = \beta_L = 0 \] (eggs do not Granger cause chickens).

\[ L = \text{no. of lags} \quad F\text{-statistic} \quad P\text{-value} \quad R^2 \text{ of the regression} \]

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Data source: U.S. Department of Agriculture, 1983 and others. Note: The data are annual, 1930–83.

Suggestions for Future Research

The structural implications of our results are not yet clear. To draw them out fully will require collaboration between economists and poultry scientists. The potential here is great. As to other questions of temporal ordering, the chicken and egg question is only the most obvious application of causality testing. Other fruitful areas of research include the testing of ‘‘He who laughs last laughs best’’ and the multivariate ‘‘Pride goeth before destruction, and an haughty spirit before a fall.’’

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References


